

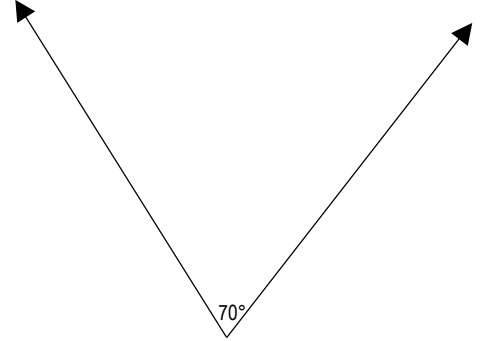
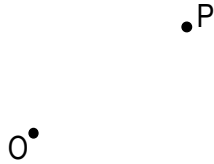
**DO NOW** – On the back of this packet



Name \_\_\_\_\_

LO: I can use function notation to describe **rotations** in the plane and can construct rotations with a compass and straightedge.

(1) **Rotations** Construct  $R_{O, 70^\circ}(P)$   
compass



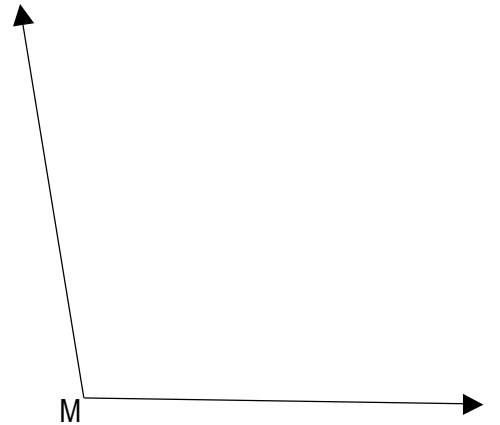
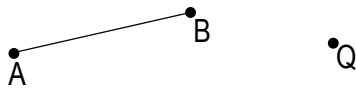
From the notation, you must rotate point \_\_\_\_\_ around point \_\_\_\_\_ a measure of \_\_\_\_\_ in a \_\_\_\_\_ direction.

If you rotate a point and trace its path, what shape do you get? \_\_\_\_\_

How can you use the  $70^\circ$  angle to help with your construction? \_\_\_\_\_

(2) **Rotations** Construct  $R_{Q, \angle M}(\overline{AB})$  List your steps.  
compass

Use a different color highlighter to show the rotation of each point.  
(Number your steps)



Step 1: \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

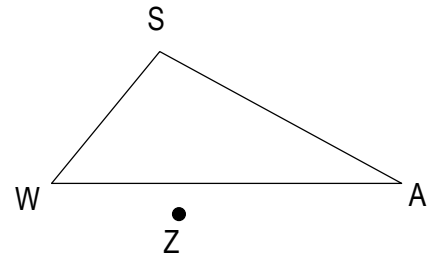
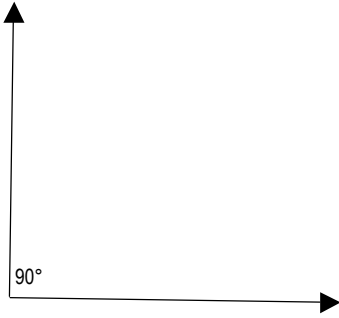
\_\_\_\_\_

$\overline{AB} \cong \overline{A'B'}$  because \_\_\_\_\_

(3) **Rotations Practice** Perform each rotation.

compass

(a)  $R_Z, 90^\circ(\triangle WAS)$

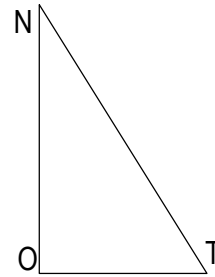
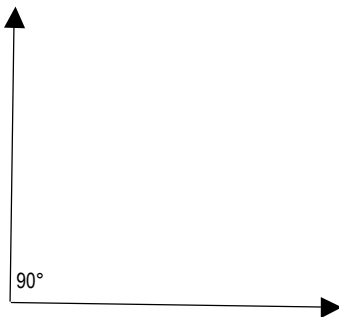


$\triangle WAS \cong \triangle W'A'S'$  because \_\_\_\_\_

(4) **Rotations Practice** Perform each rotation.

compass

(b)  $R_O, 90^\circ(\triangle NOT)$



$\triangle NOT \cong \triangle N'O'T'$  because \_\_\_\_\_

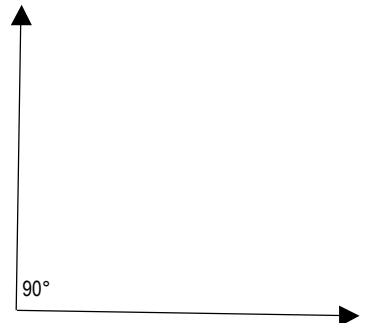
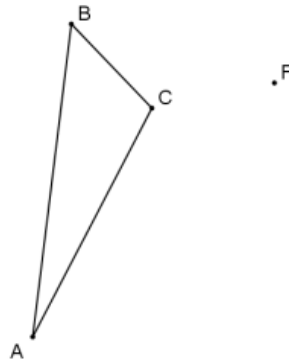
(5)  
cont  
compass

**BIG IDEA:** To construct a rotation, I need to construct copies of the \_\_\_\_\_, one for each point of the figure. The vertex of all angles must be on the \_\_\_\_\_  
\_\_\_\_\_. The names of the copied angle are as follows: image, center of rotation, preimage.

(6) **Exit Ticket**  
ON THE LAST PAGE

(7) **Homework**

(1) Construct the rotation.  $R_{-90^\circ, F}(\triangle ABC)$  (If you ever need to, you can use the corner of a piece of paper to measure  $90^\circ$ . See lesson 2.4 if you need to review what the notation means.)



(7) **Homework**

cont,  
compass  
highligh-  
ters

 (2) Sketch each of the following: (SEE NOTES)

(a)  $\overline{QR} \perp \overleftrightarrow{ST}$

(b)  $\overleftrightarrow{VW}$  bisects  $\overline{XY}$

(c)  $\angle LMN \cong \angle OPQ$

 (3) Describe each function notation in words.

$R_{X, 30^\circ}(Y)$  \_\_\_\_\_

$R_{C, -120^\circ}(\triangle LMN)$  \_\_\_\_\_

$r_{\overline{PQ}}(\triangle ZOT)$  \_\_\_\_\_

$R_{H, \angle C}(\overline{AT})$  \_\_\_\_\_

 (4) Sketch each of the following: (SEE NOTES)

(a) Z is the midpoint of  $\overline{AE}$

(b)  $\overleftrightarrow{QR} \parallel \overleftrightarrow{ST}$

(c)  $\angle SAL$  and  $\angle LAD$  are a linear pair

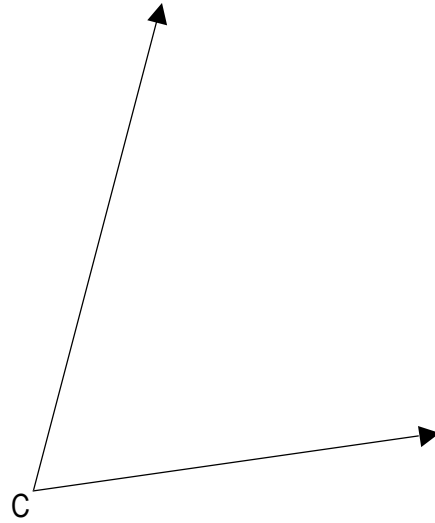
 (5) Construct equilateral triangle BOS. In triangle BOS, bisect angle B. How many degrees is angle B?

Exit Ticket Name \_\_\_\_\_ Date \_\_\_\_\_ Per \_\_\_\_\_

2.6R

(1) The LO (Learning Outcomes) are written below your name on the front of this packet. Demonstrate your achievement of these outcomes by doing the following:

(a) Construct the transformation function  $R_{B, \angle C}(A)$



A

B

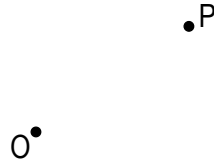
DO NOW Name \_\_\_\_\_ Date \_\_\_\_\_ Per \_\_\_\_\_

2.6R

(1) To perform rotations, we need a CENTER, an ANGLE MEASURE, and a DIRECTION.  
 Lets look at each part of a rotation separately.

(Complete parts (a) and (b) on your own and do as much of part (c) as you can)

- (a) CENTER: Show all of the images that can be made by rotating point P around the center of rotation O.



- (b) When you are showing ALL of the possible images of point P, does the direction of the rotation matter? \_\_\_\_\_  
 Why/why not? \_\_\_\_\_

- (c) MEASURE (ANGLE): Let's be more specific. On the diagram in part (a), find point Q such that it is the image of point P under a rotation of the angle measure below. (That is, COPY the angle.)

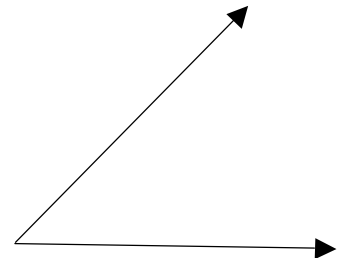
1<sup>st</sup> Construct circle O with radius OP

2<sup>nd</sup> Construct circle O again, but on the reference angle. Label the vertex of the reference angle  $O_R$  and one intersection of an angle side and the arc  $P_R$

3<sup>rd</sup> Label the intersection of the arc and the other side of the angle  $Q_R$

4<sup>th</sup> Measure the distance  $P_R Q_R$  and use it to construct circle P in the diagram for part a

5<sup>th</sup> There is/are \_\_\_\_\_ point(s) we can construct because circle P  
 \_\_\_\_\_ circle O in \_\_\_\_\_ locations.



- (d) DIRECTION: Let's be even more specific. Label the points of intersection  $Q_1$  and  $Q_2$ . Circle the words to make each sentence correct.

$Q_1$  is a clockwise/counterclockwise rotation which means it is positive/negative.

$Q_2$  is a clockwise/counterclockwise rotation which means it is positive/negative.

(2) What is this guy doing? How does this relate to today's Learning Objective (LO)?

